

Some of the most important lab math to know (in my opinion):

- **Metric conversions**

- Get really comfortable moving decimal places to convert between μ , m, etc. (esp. μL , mL & L)

- **Converting between molecular weight (MW) or formula weight (FW)*, molarity, and weight/volume**

- $\text{MW (or FW)} = \text{g/mol}$
- $\text{Molarity (M)} = \text{mol/L}$
- $\text{g/L} = (\text{MW})(\text{molarity})$
- $\text{M} = (\text{g/L}) / (\text{MW or FW})$

* although the terms molecular weight and formula weight are often used interchangeably, molecular weight is technically only for covalent compounds, whereas formula weight can refer to ionic compounds as well as hydrates & other complexes. Both are g/mol

- **For protein biochemists, converting between kDa (what the MW for proteins is often given as), mg/mL, & molarity**

- $1 \text{ kDa} = 1000 \text{ Da (Daltons)}$
- $1 \text{ Da} = 1 \text{ g/mol}$
- $1 \text{ kDa} = 1000 \text{ g/mol}$
- $1 \text{ mg/mL} = 1 \text{ g/L}$
- Going from **MW in kDa** and **molarity (M)** to **mg/mL**:
 - $(\text{MW in kDa})(\text{M} \times 1000) = \text{mg/mL}$
- Going from **MW in kDa** and **mg/mL** to molarity:

- $\text{Molarity} = (\text{mg/mL}) / ((\text{MW in kDa})(1000))$

- **Understanding & using when necessary % w/v**

- $\% \text{ w/v} = \text{g/L} \times 100\%$
 - $1 \% \text{ w/v} = 1 \text{ g} / 100 \text{ mL}$

- **Making solutions from solids**

- If you have a desired volume & concentration:

$$(\text{Desired volume})(\text{needed mass}) = \text{desired concentration}$$

$$\text{Needed mass} = (\text{desired concentration})/(\text{desired volume})$$

- Calculating the volume of solvent needed to get to a final desired concentration based on a measured amount (e.g. for when you're measuring small volumes and it's impractical to weigh out precisely the target mass)

$$(\text{measured mass}) / (\text{needed volume}) = \text{desired concentration}$$

$$\text{Needed volume} = (\text{measured mass}) / (\text{desired concentration})$$

- Salvaging solutions by adding extra solvent and/or mass to match what you actually have present in your current solution

- Too much mass? Calculate volume

$$(\text{Measured mass}) / (\text{total volume needed}) = \text{desired concentration}$$

$$\text{Total volume needed} = (\text{measured mass}) / (\text{desired concentration})$$

$$\text{Needed additional volume} = \text{total volume needed} - \text{current volume}$$

- Too much volume? Calculate mass

$$(\text{total mass needed}) / (\text{current volume}) = \text{desired concentration}$$

$$\text{Total mass needed} = (\text{desired concentration})(\text{current volume})$$

$$\text{Extra mass needed} = \text{total mass needed} - \text{current mass}$$

Alternatively, calculate the mass you need to add directly (rather than first finding total then subtracting). To do that...

$$\text{Extra volume} = \text{current volume} - \text{intended volume}$$

$$\text{Extra mass needed} = (\text{extra volume})(\text{desired concentration})$$

If adding that mass will not appreciably change the final volume, just add it. If adding that mass would change the final volume, calculate mass for a higher volume with enough wiggle room. Add the mass for that, then adjust the volume to that higher volume.

● Diluting solutions

- From any form of concentration (as long as same units on both sides)

- $C_1V_1 = C_2V_2$

- Initial concentration (C_1) x initial volume (V_1) = final concentration (C_2) x final volume (V_2)

- From relative concentrations (X factors)

- $(\text{Desired total volume}) / (\text{X factor}) = \text{needed volume of the stock solution}$

- $(\text{Volume of the stock solution you want to use})(\text{X factor}) = \text{total volume to dilute to}$

- **Making master mixes**

- Pre-mix the parts of reaction mixtures that are the same between all reactions. Then add that to the unique parts
 - Make more than you need to account for volume loss during transfers

- **Serial dilutions**

- Dilution factor (DF): how much you are diluting by each time
 - e.g. if you're halving it each time, DF would be 2
- Multiply the initial concentration by $(1/DF)$ raised to the number of dilutions to get the concentration of that dilution

Links to more information

more on metric conversions: blog: https://bit.ly/metric_calcs ; YouTube: <https://youtu.be/A-J7kdLNb8c>

more on sig figs here: <http://bit.ly/significantfigureess> & <https://youtu.be/q29Cv5i5PuI>

more on dimensional analysis: <http://bit.ly/dimensionalanalysing> & <https://youtu.be/KQMA0aAGfP4>

more about concentrations: <http://bit.ly/sciencestocksolutions> ; YouTube: <https://youtu.be/RjXYvOiLh2w> & <https://youtu.be/wC623-AGBOs>

and a couple cheat sheets for molecular weights:

<https://drive.google.com/file/d/1TqCRh23TO8s5T23DjBcJeCUWI23ps9sl/view?usp=sharing>

and concentrations: <https://drive.google.com/file/d/1v7pff7cEpJTvr-IADLwdwwFOIEDdz8Ny/view?usp=sharing>

more lab-mathy things: <https://thebumblingbiochemist.com/lets-talk-science/math-y-stuff/> & <https://www.youtube.com/playlist?list=PLUWsCDtjESrGfML5aO-J8vgzm2OYGPwhL>

More on making solutions: blog form: <http://bit.ly/sciencestocksolutions> ; YouTube: https://youtu.be/4R_5qxmMzas & <https://youtu.be/9OtxOHLyaOQ>

More on serial dilutions: <http://bit.ly/serialdilutions>

more about all sorts of things: All (with topics listed) <http://bit.ly/2OIIAB0> or search blog: <http://thebumblingbiochemist.com>

common SI prefixes

peta	P	10^{15}	quadrillion
tera	T	10^{12}	trillion
giga	G	10^9	billion
mega	M	10^6	million
kilo	k	10^3	thousand
hecto	h	10^2	hundred
deka	da	10^1	ten
		10^0	one
deci	d	10^{-1}	tenth
centi	c	10^{-2}	hundredth
milli	m	10^{-3}	thousandth
micro	μ	10^{-6}	millionth
nano	n	10^{-9}	billionth
pico	p	10^{-12}	trillionth
femto	f	10^{-15}	quadrillionth

metric prefixes let us work with large & tiny numbers

you can stick these prefixes in front of any base unit (g, mol, M, etc.)

milli	m	10^{-3}	1/1,000	thousandth of a...
micro	μ	10^{-6}	1/1,000,000	millionth of a...
nano	n	10^{-9}	1/1,000,000,000	billionth of a...
pico	p	10^{-12}	1/1,000,000,000,000	trillionth of a...

you can multiply by factors of 10 to easily convert between units with different metric prefixes

there are 1000 mg in 1 g; 1000 μ g in 1 mg; 1000 ng in 1 μ g, etc.

you can also draw this out using dimensional analysis

e.g. $\frac{10^3 \mu\text{g}}{1 \text{ mg}} = 1 \frac{10^3 \text{ mg}}{1 \text{ g}} = 1$

$50 \mu\text{g} \times \frac{1 \text{ mg}}{10^3 \mu\text{g}} = 0.05 \text{ mg}$

there are 1,000,000 μ g in 1 g; 1,000,000 ng in 1 mg, etc.

e.g.: $50 \text{ ng} = 50/10^6 = 0.00005 \text{ mg}$ (can also be written as $5 \times 10^{-5} \text{ mg}$)

$5 \times 10^{-9} \text{ g} = 5 \text{ ng}$

$0.00005 \text{ g} = 0.00005 \times 10^6 = 50 \mu\text{g}$

you can similarly convert between other prefixes

when unsure whether to multiply or divide, write it out & make sure your units cancel

think small! - some mental shortcuts

often we're dealing with solutions at the μ L scale, so lots of conversions

When converting to thinking in terms of **less stuff** (e.g. a smaller volume or mass), the **number should get smaller** (e.g. there are fewer molecules in a μ L or a μ g than there are in a L or a g).

But when you're converting to thinking of **same amount of stuff, just in terms of smaller units**, the **number should be bigger** (e.g. there are more μ g in a g than there are mg in a g and more μ L in a L than mL in a L).

Often concentrations are given in mg/mL.

This is the same as μ g/ μ L.

Recognize that **when prefixes are the same, you will be dividing them by the same factor of 10, so they'll still be the same**. In fact, it's also the same as ng/nL, or g/L!

Using similar reasoning to remember, M (mol/L) is the same as μ mol/ μ L, and mmol/mL.

& nmol/ μ L is the same as mM

since nano is one thousandth of μ , we need to use the one thousandth prefix, with M, hence "mM"

When unsure what to do, write it out & make sure units cancel out

If your concentration is in mM (mmol/L), how many mol per μ L?

$Y \frac{\text{mmol}}{\text{L}} \times \frac{1 \text{ mol}}{10^3 \text{ mmol}} \times \frac{1 \text{ L}}{10^6 \mu\text{L}} = Y \times 10^{-9} \text{ mol}/\mu\text{L}$

10^{-9} - that's the nano prefix! So this is the same as Y nmol/ μ L
e.g. a 50 mM NaCl solution would have 50 nmol NaCl per μ L

relative concentrations

often concentrated solutions will be described in terms of relative concentrations (relative to the final, "working" concentration)

1X is the working concentration - the concentration you want it to be at in your final solution

in $C_1 V_1 = C_2 V_2$ terms, 1X is your C_2
the concentration of the stock is your C_1

the relative concentration (x-factor) = $\frac{C_1}{C_2}$

$\frac{C_1 V_1 = C_2 V_2}{\text{initial concentration} \times \text{initial volume} = \text{final concentration} \times \text{final volume}}$

the number before the X is the dilution factor of the working concentration

10 X 10X more concentrated than you want
50 X 50X more concentrated than you want
1000 X 1000X more concentrated than you want

divide final desired volume by x-factor to figure out how much concentrate you need

$V_1 = \frac{V_2}{\text{x-factor}}$ e.g. if you want a final volume of 100mL, add $100/10 = 10\text{mL}$ of 10X; $100/50 = 2\text{mL}$ of 50X or $100/100 = 1\text{mL}$ of 100X stock

multiply starting volume of concentrate by x-factor to figure out final volume to dilute it to*

$V_2 = \text{x-factor} \times V_1$ e.g. if you start with 10mL concentrate, dilute 10X to $10 \times 10 = 100\text{mL}$, 50X to $10 \times 50 = 500\text{mL}$; and 100X to $10 \times 100 = 1000\text{mL}$ (1L)

*before you dilute it directly to that final volume, keep in mind that there might be other components contributing to that final total volume

calculations with relative concentrations

you can treat relative concentrations just like other concentrations

$$C_1 V_1 = C_2 V_2$$

initial concentration
X initial volume
= final concentration
X final volume

in terms of $C_1 V_1 = C_2 V_2$
the working concentration, 1X, is your C_2
the stock concentration, something X, is your C_1
the X's cancel out (just like units would) so we can ignore them and focus on the number before the X
the relative concentration (x-factor) = $\frac{C_1}{C_2}$

How much concentrate do I need to make a certain final volume?

$$V_1 = \frac{C_2 V_2}{C_1} = \frac{V_2}{\frac{C_1}{C_2}} \quad V_1 = \frac{V_2}{\text{x-factor}}$$

if you know the final volume you want, divide by the # before the x to figure out how much of the concentrated stock you need

e.g. if you want a final volume of 100mL, add 100/10 = 10mL of 10X stock

What should my final volume be given starting amount of stock?

$$V_2 = \frac{C_1 V_1}{C_2} \quad V_2 = \text{x-factor} \times V_1$$

if you know the initial volume you want to use, multiply by the # before the x to figure out how much final volume you want (what should you dilute it to?)

e.g. if you start with 10mL concentrate, dilute 10X to 10*10=100mL

tip: if you're making stock solutions, where possible make them with dilution factors of multiples of 10 for easy mental math

for example, if your stock is 1000X, you can quickly calculate that you need 1mL per L

similarly, when possible, choose a final volume that's divisible by the x-factor

for example, if you have a 6X gel loading buffer, prepare 6, 12, 24, 36... μ L

working with protein concentrations

proteins vary greatly in size, so mass/volume can be misleading

The molecular weight (MW) of proteins is typically given in Daltons (Da) or kiloDaltons (kDa)

$$1 \text{ Da} = 1 \text{ g/mol} \quad 1 \text{ kDa} = 1000 \text{ Da} = 1000 \text{ g/mol} = 1 \text{ kg/mol}$$

To go from Da to kDa, divide by 1000. To go from kDa to Da, multiply by 1000
you can think of the Da as shorthand so you don't have to write "g/mol"

quick estimates: the average amino acid is ~0.1 kDa (100 Da) so a 1000 amino-acid-long protein would have a MW of ~100 kDa

estimated protein length from MW (in kDa) = kDa x 10

estimated MW (in kDa) from protein length = # amino acids / 10

to go from mass/volume* to molarity:

$$\text{molarity} = (\text{mass} / \text{volume}) / \text{MW} \quad \text{molarity} = \frac{\text{g}}{\text{L}} \times \frac{\text{mol}}{\text{g}}$$

make sure this is in Da (convert from kDa if needed)

*shortcut: protein concentration is generally measured/reported in mg/mL, but mg/mL = g/L = μ g/ μ L because in each case you're dividing both of these by the same factor of 10
in terms of kDa

$$\text{molarity} = (\text{mg} / \text{mL}) / \text{MW (in Da)} \quad \text{molarity} = (\text{mg} / \text{mL}) / (\text{MW (in kDa)} \times 1000)$$

mass/volume from molarity and MW

$$\text{mg/mL} = \text{molarity} \times \text{MW (in Da)} \quad \text{mg/mL} = \text{molarity} \times (\text{MW (in kDa)} \times 1000)$$

mass from molarity and volume

$$\text{mg} = \text{molarity} \times \text{MW (in Da)} \times \text{mL} \quad \text{or} \quad \mu\text{g} = \text{molarity} \times \text{MW (in kDa)} \times \mu\text{L}$$

% weight/volume (%w/v) is a relative concentration

it is sometimes used for dilute aqueous solutions, especially in medicine

$$1\% \text{ w/v} = 1\text{g}/100\text{mL}$$

Why?

it comes from the fact that water has a density of 1g/mL (at room temp) and adding a little solute won't change that

So the density of most biological solutions is close to the density of pure water, so ~1g/mL.

So if you say that there's 1g of something else in there, and the solution still had a density of 1g/mL it'd have to mean that the solution was 100% your thing. So 1g/mL is 100% w/v.

warning: for this to hold true, the thing you're adding has to be similar to the density of water and/or there's just so little of it compared to water that it doesn't make too much of a dent

$$C_1 V_1 = C_2 V_2$$

initial concentration X initial volume = final concentration X final volume

rearrange

isolate the unknown

$$C_1 = \frac{C_2 V_2}{V_1} \quad \text{or} \quad V_1 = \frac{C_2 V_2}{C_1} \quad \text{or} \quad C_2 = \frac{C_1 V_1}{V_2} \quad \text{or} \quad V_2 = \frac{C_1 V_1}{C_2}$$

then exchange

stick in the known

replace those placeholders with numbers

and math it out

solve for the unknown

solution-making calculating example - Part 1

$$C_1 V_1 = C_2 V_2$$

initial concentration X initial volume = final concentration X final volume

what stock solutions
do you have?

initial concentrations

C_1 1M Tris pH 8
5M NaCl

initial volumes

V_1 this is what you
need to find

what final solution
do you want?

desired concentrations

C_2 10mM Tris pH 8
100mM NaCl

desired volumes

V_2 250 mL

$C_1 V_1 = C_2 V_2$ it for each component, then add
water to get to the final desired volume
try it out (at least the calculating part!) and I'll meet
you with the answer in the next figure!

solution-making calculating example

Use 1M Tris & 5M NaCl stock solutions to make 250mL of a
solution that is 10mM Tris, 100mM NaCl

Calculate amount of Tris needed

convert units so
they're consistent

1000 mM = 1 M

so...

10 mM = 0.01 M

100 mM = 0.1 M

$$C_{1(\text{Tris})} V_{1(\text{Tris})} = C_{2(\text{Tris})} 250 \text{ mL}$$

$$1 M_{(\text{Tris})} V_{1(\text{Tris})} = 0.01 M_{(\text{Tris})} 250 \text{ mL}$$

$$V_{1(\text{Tris})} = \frac{0.01 M_{(\text{Tris})} 250 \text{ mL}}{1 M_{(\text{Tris})}}$$

$$V_{1(\text{Tris})} = 2.5 \text{ mL}$$

Calculate amount of NaCl needed

$$C_{1(\text{NaCl})} V_{1(\text{NaCl})} = C_{2(\text{NaCl})} 250 \text{ mL}$$

$$5 M_{(\text{NaCl})} V_{1(\text{NaCl})} = 0.1 M_{(\text{NaCl})} 250 \text{ mL}$$

$$V_{1(\text{NaCl})} = \frac{0.1 M_{(\text{NaCl})} 250 \text{ mL}}{5 M_{(\text{NaCl})}}$$

$$V_{1(\text{NaCl})} = 5 \text{ mL}$$

add water to
get to the final
volume

stuff takes up space!

molarity (M) is mol solute / L solution

this is **total** solution volume

so when you prepare a solution of a specific molarity,
you need to take into account the volume of the solute

when making solutions from solids...

calculate &
weigh out solid



dissolve in partial volume*



once dissolved,
add solvent (e.g.
water) to desired
final volume



*the more solid you need to stuff in there,
the more space you need to leave

when making solutions from liquids...

measure out & add each
component (stock
solutions of salts,
buffering agents, etc.)



add solvent* (e.g.
water) to desired
final volume



*if the liquids interact or otherwise affect one another (e.g. EtOH & water), the
solvent volume might be different than what you'd calculate

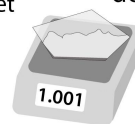
Solution-making from solids calculate



Use the formula weight or molecular
weight (g/mol) to figure out how
much you need to weigh out to get
the desired molarity (mol/L)

weigh

do it



dissolve

Start with a lower volume than your final
volume because the solid will take up space



add the stir bar



add the solid gradually



stir to dissolve

Always start by adding
some liquid (but not a final
volume-worth!) to the
vessel before solid, or you'll
get a hard lump, perhaps
with a stir bar stuck in it.



adjust volume

Transfer to a
graduated cylinder

Adjust volume in a
graduated cylinder -
NOT the beaker - &
beware of the stir bar!



salty stock solution example

NaCl has a **formula weight of ~58.44 g/mol**

If I want a 5 molar (5M) solution
in molarity:

$$\text{MOLARITY} = \frac{\text{moles of something}}{\text{liter}}$$

a mole is just 6×10^{23} of something (Avogadro's Number)

$$\frac{5 \text{ mol NaCl}}{1 \text{ L solution}} \times \frac{58.44 \text{ g NaCl}}{1 \text{ mol NaCl}} = \frac{292.2 \text{ g NaCl}}{1 \text{ L solution}}$$

weigh adjust volume

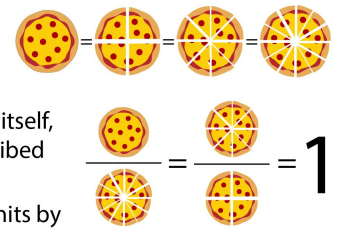


dimensional analysis!

There's many a way to
same-thing-say! And this
lets us convert units!

when you divide something by itself,
even if that something is described
in different ways, you get 1

so you can harmlessly change units by
multiplying or dividing anything by 1



for examples...

starting info: I have 2 pizzas. Each has 12 slices. There are 24 people
How many slices do I have?

$$\frac{2 \text{ pizzas}}{1 \text{ pizza}} \times \frac{12 \text{ slices}}{1 \text{ pizza}} = 24 \text{ slices}$$

start point destination

How many slices does each person get?

$$\frac{2 \text{ pizzas}}{24 \text{ people}} \times \frac{12 \text{ slices}}{1 \text{ pizza}} = 1 \text{ slice per person}$$

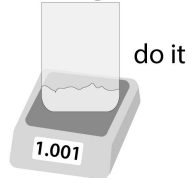
start point destination

calculate pH buffer stock making



use the formula weight to
figure out how much you
need to weigh out to get
the desired molarity

weigh



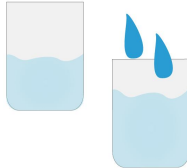
do it

dissolve/dilute partway



leave space for
the acid or base

adjust pH



add concentrated acid/base
dropwise while monitoring
pH change

once it (stably) gets to the desired pH (at the desired temp)

adjust volume

do this in a graduated cylinder - NOT the beaker
- and beware of the stir bar!



Tris base has a **formula weight of ~121.14 g/mol**

We want a 1 molar (1M) solution

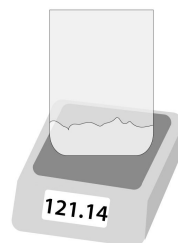
in molarity:

$$\text{MOLARITY} = \frac{\text{moles of something}}{\text{liter}}$$

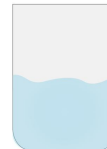
a mole is just 6×10^{23} of something (Avogadro's Number)

$$\frac{1 \text{ mol Tris}}{1 \text{ L solution}} \times \frac{121.14 \text{ g Tris}}{1 \text{ mol Tris}} = \frac{121.14 \text{ g Tris}}{1 \text{ L solution}}$$

weigh



dissolve
leave room



HCl adjust pH



adjust
volume



salty stock solution example

NaCl has a **formula weight of ~58.44 g/mol**

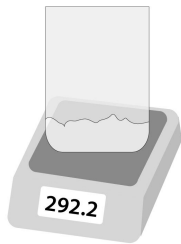
If I want a 5 molar (5M) solution
in molarity:

$$\text{MOLARITY} = \frac{\text{moles of something}}{\text{liter}}$$

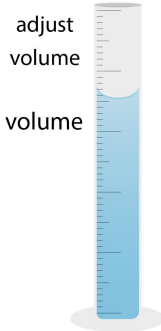
a mole is just 6×10^{23} of something (Avogadro's Number)

$$\frac{5 \text{ mol NaCl}}{1 \text{ L solution}} \times \frac{58.44 \text{ g NaCl}}{1 \text{ mol NaCl}} = \frac{292.2 \text{ g NaCl}}{1 \text{ L solution}}$$

weigh



dissolve in lower volume



solution-making calculating example

Use 1M Tris & 5M NaCl stock solutions to make 250mL of a solution that is 10mM Tris, 100mM NaCl

convert units so they're consistent

$$1000 \text{ mM} = 1 \text{ M}$$

so...

$$10 \text{ mM} = 0.01 \text{ M}$$

$$100 \text{ mM} = 0.1 \text{ M}$$

Calculate amount of Tris needed

$$C_{1(\text{Tris})} V_{1(\text{Tris})} = C_{2(\text{Tris})} 250 \text{ mL}$$

$$1 \text{ M}_{(\text{Tris})} V_{1(\text{Tris})} = 0.01 \text{ M}_{(\text{Tris})} 250 \text{ mL}$$

$$V_{1(\text{Tris})} = \frac{0.01 \text{ M}_{(\text{Tris})} 250 \text{ mL}}{1 \text{ M}_{(\text{Tris})}}$$

$$V_{1(\text{Tris})} = 2.5 \text{ mL}$$



Calculate amount of NaCl needed

$$C_{1(\text{NaCl})} V_{1(\text{NaCl})} = C_{2(\text{NaCl})} 250 \text{ mL}$$

$$5 \text{ M}_{(\text{NaCl})} V_{1(\text{NaCl})} = 0.1 \text{ M}_{(\text{NaCl})} 250 \text{ mL}$$

$$V_{1(\text{NaCl})} = \frac{0.1 \text{ M}_{(\text{NaCl})} 250 \text{ mL}}{5 \text{ M}_{(\text{NaCl})}}$$

$$V_{1(\text{NaCl})} = 5 \text{ mL}$$

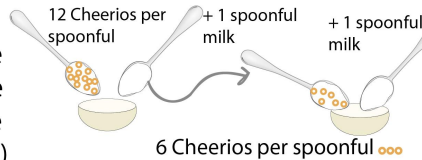


add water to get to the final volume



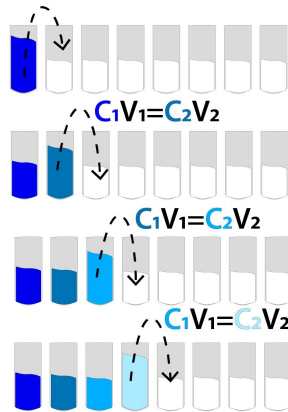
serial dilutions

a series of stepwise dilutions where you're diluting a thing by the same factor each time (the dilution factor, DF)



$$\begin{matrix} C_1 V_1 = C_2 V_2 \\ \text{initial concentration} \\ \times \text{initial volume} \\ = \\ \text{final concentration} \\ \times \text{final volume} \end{matrix}$$

in a serial dilution, the final concentration of 1 thing (C_2) becomes initial concentration (C_1) for the next



You can easily figure out the concentration of each dilution in a standard curve without having to math out the whole series.

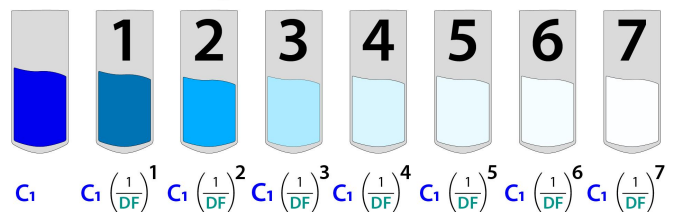
you just need to know the initial concentration, the # of dilutions since then and the **Dilution Factor**: how much are you diluting by each time?

for example, if you halve it each time (i.e. each dilution has 1/2 the concentration of the prior one), you'd have a dilution factor of 2.

if each dilution has 1/3 the concentration of the prior one), you'd have a dilution factor of 3.

if each dilution has 1/4 the concentration of the prior one), you'd have a dilution factor of 4. etc. etc. etc.

multiply the initial concentration by $(1/\text{DF})$ raised to the # of dilutions to get the concentration of that dilution





Lab tip: Make Master Mixes

Determine which reagents are the same in each reaction mixture and mix those together (making enough for all reactions + a little extra to account for volume loss in transfers, etc.), then add that to the part(s) that are different.

Master Mixes

make sure you make enough happiness to share!
make enough as you need for # of people and a little to spare!

# of people	10		
prepare as if there were	11		
per person		total to make	
reagent	quantity	reagent	quantity
puppies	5	puppies	=S9*\$T\$3
kittens	1	kittens	
rainbows	2	rainbows	
Parafilm	1	Parafilm	
just add person!			

# of people	10		
prepare as if there were	11		
per person		total to make	
reagent	quantity	reagent	quantity
puppies	5	puppies	55
kittens	1	kittens	11
rainbows	2	rainbows	22
Parafilm	1	Parafilm	11
just add person!			

Master Mixes

MORE SERIOUSLY...

# of reactions	8		
prepare as if there were	8.5		
per reaction		total to make of mastermix	
reagent	quantity (uL)	reagent	quantity
RNA (at 50uM)	2		
10X PNK buffer	5	10X PNK buffer	42.5
water	37	water	314.5
hot ATP	5	hot ATP	42.5
PNK	1	PNK	8.5
final volume	50	volume mastermix to make	
			408
amount of master mix per sample	48	amount of wiggle room	
		amount you "need": $8 \times 48 = 384$	
		$408 - 384 = 24\text{uL extra}$	

Always prepare more than you think that you need...

You have to account for volume loss due to liquid sticking on the pipets, tubes, etc.
&/or evaporating out.

and, if possible, prepare enough to redo if at first you don't succeed!

2 + extra rule of thumb

Ideally, make/save enough sample to redo an experiment if it doesn't work without having to go all the way back to actually getting &/or preparing that sample.